

May, 2023

Dear Parents/Guardians,

The attached math enrichment packet is meant to provide your child with a review of the skills she learned in 6th grade. Your child is expected to turn the completed packet in to Mrs. Butler (7th grade) on the first day of the 2023-2024 school year. Please encourage your child to schedule time throughout the summer to work on the packet; do not wait until the end of summer to begin.

Reminders for your child:

- Read and follow all directions.
- Number each problem and show work for ANY/ALL problems in an organized manner to receive full credit.

Have a great summer!

Sincerely,

Mrs. Tartera

#### LESSON Identifying Integers and Their Opposites 1-1

# Reteach

Positive numbers are greater than 0. Use a positive number to represent a gain or increase. Include the positive sign (+).

an increase of 10 points +10

a flower growth of 2 inches +2

a gain of 15 yards in football +15

Negative numbers are less than 0. Use a negative number to represent a loss or decrease. Also use a negative number to represent a value below or less than a certain value. Include the negative sign (-).

a bank withdrawal of \$30 -30

a decrease of 9 points -9

2° below zero -2 

-6 -5 -4 -3 -2 -1 2 0 1 3 5

negative numbers

positive numbers

6

Opposites are the same distance from zero on the number line, but in different directions. -3 and 3 are opposites because each number is 3 units from zero on a number line.

Integers are the set of all whole numbers, zero, and their opposites.

# Name a positive or negative number to represent each situation.

1. an increase	e of 3 points	2.	spe	nding	\$10						
3. earning \$2	5	— 4.	a lo	ss of	5 yard	ds					
Write each inte	eger and its opposite. Ther	 n graph th	nem	on th	e nun	nber	line	<b>)</b> .			
- 10-9-8-	6 9	0 1	2	3 4	- 5	6	7	8 -5	9	10	

Name	5 S	Date		Class	<u></u>
	ring and Order	ing Inte	gers	e guiego.	
Reteach		18 er	9 <u>- 1</u> 139 -		ur se
You can use a numb	er line to compare inte	aers.			
As you move <i>right</i> or As you move <i>left</i> on	n a number line, the val a number line, the valu	ues of the es of the ir	integers <i>inc</i> itegers <i>dec</i>	crease. rease.	e    - 501
Compare –4 and 2.					774
<del>∢∤</del> 5	-4-3-2-1 0 1 2	2 3 4 5	• •27791975	the second	n Niterati us
-4 is to the left of 2, s	so -4 < 2.			1	
Use the number line	above to compare th	e integers	s. Write < o	₽ <b>r</b> >.	aŭ e
1. 1 🕒 -4	25	) -2	36 Sic	33	2
41 () -4	5. 5	0	-9261 EE 11 - 23 EE	6. –2 )	3
You can also use a n Drder −3, 4, and −1 fr	umber line to order inte om least to greatest.	gers.			ŝ.
<+ -5	-4-3-2-1 0 1 2	<del>-      </del> , 3 4 5	n n ang a <sup>2</sup> s	Nation (1997) A de Lace	6546 - 15 15 - 15
ist the numbers in th	e order in which they a	ppear from	left to right		
he integers in order	from least to greatest a	re –3, –1, 4	4.		nn d
					14 N.
uer me megers fro ∵ −2, −5, −1	m least to greatest.			0 5 0 0	
3 			а "К. — "	ಶ. −ರ, ∠, −3	
. 3, –1, –4	11. 3, -5, 0	· · · · · · · · · · · · · · · · · · ·	1	224. 1	
	5 No. 10			_, ,, ,	

	60% U		Date	Class
LESSON G	reatest Co	mmon Fa	ctor	
	eteach	·*\.**	ter i gentrati en	filmer in de nederales es
The <i>greate</i> factor of tw	st common factor o or more numbe	r, or GCF, is the ers.	e largest number that	is the
To find the	GCF, first write t	he factors of ea	ich number.	al second
Example				a a <sub>n</sub> ii e thail ab a' t
Find the GO	CF of 18 and 24.		·2	
Solution W that is com	/rite the factors o mon to both lists	f 18 and 24. Hi of factors.	ghlight the <i>largest</i> nu	mber
Factors of 1	8: 1, 2, 3, <b>6</b> , 9, a	ind 18		
Factors of 2	.4: 1, 2, 3, 4, <b>6</b> , 8	, 12, and 24	SAN SAN UNITED SAN	$\mathbb{C}^{2} \rightarrow \mathbb{C}^{2} \rightarrow \mathbb{C}^{2} \rightarrow \mathbb{C}^{2}$
The GCF of	18 and 24 is 6.		All a met mad	· · · · · · · · · · · · · · · · · · ·
This proces	s works the same	e way for more	than two numbers	and an ing the
		1999 <sup>- 14</sup> 18 19	1997 (1997) - 1998 1997 - 1997 - 1998	n Ball Son a sea chean Thairtean 1
		be used with t	a GCE to rewrite blo	um of
The <i>distribu</i> two or more	<i>tive principle</i> can numbers.		ie oor to rewrite a s	
The <i>distribu</i> two or more	<i>tive principle</i> can numbers.			이 가 많은 것이 하는 것같이
The <i>distribu</i> two or more <b>Example</b>	<i>tive principle</i> can numbers.		Solution	n na ser son an air son an air Channa a' an air a
The <i>distribu</i> two or more <b>Example</b> Write 30 + 7 of 30 and 70	<i>tive principle</i> can numbers. 0 as the product and a sum.	of the GCF	Solution Step 1 Find the C	SCF of 30 and 70.
The <i>distribu</i> two or more <b>Example</b> Write 30 + 7 of 30 and 70	<i>tive principle</i> can numbers. 0 as the product and a sum.	of the GCF	Solution Step 1 Find the 0 Factors of 30: 1,	SCF of 30 and 70. 2, 3, 5, 6, <b>10</b> , 15, and 30
The <i>distribu</i> two or more <b>Example</b> Write 30 + 7 of 30 and 70	<i>tive principle</i> can numbers. 0 as the product 1 and a sum.	of the GCF	Solution Step 1 Find the C Factors of 30: 1, Factors of 70: 1, The GCF is 10.	SCF of 30 and 70. 2, 3, 5, 6, <b>10</b> , 15, and 30 2, 5, 7, <b>10</b> , 14, 35, and 70.

Rewrite each sum as a product of the GCF and a new sum.

5. 9 + 15 =

1

6. 100 + 350 =

7. 12 + 18 + 21 =

	Class

	Reteach	10 C 10 C	an the product of the second s	$1 = \max_{i \in \mathcal{I}_{i}} \left[ \frac{1}{2} \right]_{i \in \mathcal{I}_{i}}$	$(1) \in \mathbb{Z}_{p^{(1)} \in \mathbb{Z}_{p^{(2)}}^{p^{(1)}} \times \mathbb{Z}_{p^{(2)}}^{p^{(2)}} \times \mathbb{Z}_{p^{(2)}}^{p^{(2)}}$	100
Tř is	ne smallest number th called the least comn	iat is a multi <sub>i</sub> non multiple	ole of two or more numi (LCM) of those numbe	bers rs.		ся. 2011 — г
To	o find the least commo	on multiple o	f 3, 6, and 8, list the mu	ultiples	a alle dhe ar an	
M	ultiples of 3: 3, 6, 9, 1	2 15 18 21			29. ja * 5	
M	ultiples of 6: 6, 12, 18	3 24 30 36	42	8	n i Lezpi	
M	ultiples of 8: 8, $16.24$	(32, 40, 48	56		5 1 5	7. O
Sc	24 is the LCM of 3, 6	3, and 8.	_1 a ac ing		$0.03ab \in [a^{\circ},b^{\circ}]^{\circ}$	
<b>.is</b> nu 1.	t <b>the multiples of ea</b> I <b>tiple of each group.</b> 2 and 9 Multiples of 2:	ch number 2.	to help you find the le 4 and 6 Multiples of 4:	<b>east comn</b> 3.	non 4 and 10 Multiples of 4:	an a cé L (1484 P - g
	Multiples of 9:		Multiples of 6:	11 = 51 922	Multiples of 10:	3 3
	LCM:		LCM:		LCM:	21 E
4.	2, 5, and 6	5.	3, 4, and 9	6.	8, 10, and 12	
	Multiples of 2:		Multiples of 3:		Multiples of 8:	
					·	,
	Multiples of 5:		Multiples of 4:		Multiples of 10:	
	Multiples of 5: Multiples of 6:	3 3.	Multiples of 4: Multiples of 9:	- 3	Multiples of 10: Multiples of 12:	West

s modeles may "r the agreet masses on and so are in a

A Same Charles

\*/ 001

#### Comparing and Ordering Rational Numbers LESSON 3-3 Reteach

You can write decimals as fractions or mixed numbers. A place value table will help you read the decimal. Remember the decimal point is read as the word "and."

To write 0.47 as a fraction, first think about the decimal in words.

Ones	Tenths	Hundredths	Thousandths	Ten Thousandths	
0	4	7			

0.47 is read "forty-seven hundredths." The place value of the decimal tells you the denominator is 100.

$$0.47 = \frac{47}{100}$$

To write 8.3 as a mixed number, first think about the decimal in words.

Ones	Tenths	Hundredths	Thousandths	Ten Thousandths
8	3			

8.3 is read "eight and three tenths." The place value of the decimal tells you the denominator is 10. The decimal point is read as the word "and."

$$8.3 = 8\frac{3}{10}$$

#### Write each decimal as a fraction or mixed number.

1. 0.61	2. 3.43	3. 0.009	4. 4.7	
		- 5 <sup>17</sup> - 22 - 201 <sup>4</sup> - 2014	isa godeni in ini n	
5. 1.5	6. 0.13	7. 5.002	8. 0.021	

Rete	əaich	e en algerande de la contraction de la
ow to Multi	ply a Fraction by a	Fraction
$\frac{2}{3} \cdot \frac{3}{8}$	3	
23	$\frac{3}{8} = \frac{6}{8}$	Multiply numerators.
23	$\frac{3}{8} \cdot \frac{3}{8} = \frac{6}{24}$	Multiply denominators.
$\frac{6}{24}$	$\frac{2}{4} \div \frac{6}{6} = \frac{1}{4}$	Divide by the greatest common factor (GCF).
low to Add c	or Subtract Fraction	The GCF of 6 and 24 is 6.
$\frac{5}{6} + \frac{1}{1}$	11 15	$e^{-2t} = e^{-2t} e^$
<u>2</u> 30	$\frac{5}{5} + \frac{22}{30}$	Rewrite over the least common multiple (LCM).
		The least common multiple of 6 and 15 is 30.
<u>28</u> 30	$\frac{5}{5} + \frac{22}{30} = \frac{47}{30}$	Add the numerators.
	$=1\frac{17}{30}$	If the sum is an improper fraction, rewrite
		it as a mixed number.

1. $\frac{3}{4} \cdot \frac{7}{9}$		2. $\frac{2}{7} \cdot \frac{7}{9}$		3. $\frac{7}{11} \cdot \frac{22}{28}$	
4. 8 • $\frac{3}{10}$	्य ् <sub>र</sub> ्व	5. $\frac{4}{9} \cdot \frac{3}{4}$		6. $\frac{3}{7} \cdot \frac{2}{3}$	
<b>Add or subtract.</b> 7. $\frac{7}{9} + \frac{5}{12}$	Use the least	common multiple 8. $\frac{21}{24} - \frac{3}{8}$	• XIII (147) (147) 10	9. $\frac{11}{15} + \frac{7}{12}$	re A she o

#### Name

Date

**Dividing Fractions** LESSON 4.2 Reteach Two numbers are reciprocals if their product is 1.  $\frac{2}{3}$  and  $\frac{3}{2}$  are reciprocals because  $\frac{2}{3} \cdot \frac{3}{2} = \frac{6}{6} = 1$ . Dividing by a number is the same as multiplying by its reciprocal.  $\frac{1}{4} \div \frac{1}{2} = \frac{1}{2}$   $\longrightarrow$   $\frac{1}{4} \cdot \frac{2}{1} = \frac{1}{2}$ So, you can use reciprocals to divide by fractions. Find  $\frac{2}{3} \pm \frac{1}{4}$ . First, rewrite the expression as a multiplication expression. Use the reciprocal of the divisor:  $\frac{1}{4} \cdot \frac{4}{1} = 1$ .  $\frac{2}{3} \div \frac{1}{4} = \frac{2}{3} \cdot \frac{4}{1}$ Think: 6 thirds  $=\frac{8}{3}$ 0 is 2, and 2 of the 8 thirds are  $= 2\frac{2}{2}$ left over.

Rewrite each division expression as a multiplication expression. Then find the value of the expression. Write each answer in simplest form.

 1.  $\frac{1}{4} \div \frac{1}{3}$  2.  $\frac{1}{2} \div \frac{1}{4}$  3.  $\frac{3}{8} \div \frac{1}{2}$  4.  $\frac{1}{3} \div \frac{3}{4}$  

 Divide. Write each answer in simplest form.

 5.  $\frac{1}{5} \div \frac{1}{2}$  6.  $\frac{1}{6} \div \frac{2}{3}$  7.  $\frac{1}{8} \div \frac{2}{5}$  8.  $\frac{1}{8} \div \frac{1}{2}$ 

Original content Copyright @ by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.



Original content Copyright © by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

Name		Date	Class	
LESSON 5-3 Re	ultiplying Decimals			
You can use by a whole r Find the pro Use a 10-by Count the nu shaded 48 c	e a model to help you multiply a c number. duct of 0.12 and 4. -10 grid. Shade 4 groups of 12 s umber of shaded squares. Since if the 100 squares, 0.12 × 4 = 0.4	decimal squares. you have 48.		
Find each pr 1. 0.23 × 3	oduct. 2. 0.41 × 2	3. 0.01 × 5	4. 0.32 × 2	
5. 0.15 × 3	6. 0.42 × 2	7. 0.04 × 8	8. 0.22 × 4	
You can also by a decima Find the pro Step 1 Sha Step 2 Sha Step 3 How You have tw So, 0.8 × 0.4	b use a model to help you multiple duct of 0.8 and 0.4. ade 8 tenths of the figure. ade darker 4 tenths of the shaded w many squares have you shade ice shaded 32 of the squares. t = 0.32.	ly a decimal d area. ed twice?		
Find each pr 9. $0.2 \times 0.8$	oduct. 10. 0.7 × 0.9	11. 0.5 × 0.5	12. 0.3 × 0.6	

9. 0.2 × 0.0	10: 0.7 × 0.5	11. 0.5 × 0.5	12. 0.3 × 0.0
	n a <u>n</u>		
13. 0.5 × 0.2	14. 0.4 × 0.4	15. 0.1 × 0.9	16. 0.4 × 0.7

Original content Copyright @ by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

Name				
				97 A 2.5
Reteac	h	4 <sup>6</sup> 78 - 61	or the second second	2494 - 14
You can divide to	find a unit rate or	to determine a best	buy.	
<ul> <li>A. Find the unit ra Karin bikes 35 35 ÷ 7 = 5 mpt</li> <li>B. Find the best to 2 lb \$5</li> </ul>	nte. miles in 7 hours. puy. 4 lb \$8	10 lb \$15	n n Sang Sang Sang Sang Sang Sang Sang San	in της μητηρούς την της της Αποτερικής Αποτερικής
5 ÷ 2 = \$2	$50 8 \div 4 = \$2 00$	$15 \div 10 = $1.50$	BEST BUY!	
pe	lb per li	b per lb		
1. Jack shells 315 2. Sharmila receiv	peanuts in 15 mi	nutes.	<u> </u>	4
1. Jack shells 315 2. Sharmila receiv 3. Karim read 56 j	peanuts in 15 mi red 81 texts in 9 m pages in 2 hours.	nutes		$\begin{array}{c} k = 2 \left( 1 + \frac{1}{2} \right)^{2} \\ \cdots = 2 \left( 4 \right) \left( 1 + \frac{1}{2} \right)^{2} \\ \cdots = 2 \left( 4 \right) \left( 1 + \frac{1}{2} \right)^{2} \\ \cdots = 2 \left( 4 + $
<ol> <li>Jack shells 315</li> <li>Sharmila receiv</li> <li>Karim read 56 p</li> <li>ind the best buy.</li> </ol>	peanuts in 15 mi red 81 texts in 9 m pages in 2 hours. <b>Show your work</b>	nutes	in in a series de la composición de la composi	
<ol> <li>Jack shells 315</li> <li>Sharmila receiv</li> <li>Karim read 56 p</li> <li>Ind the best buy.</li> <li>6 oz</li> </ol>	peanuts in 15 mil red 81 texts in 9 m pages in 2 hours. Show your work	nutes.		
<ol> <li>Jack shells 315</li> <li>Sharmila received</li> <li>Karim read 56 period</li> <li>Ind the best buy.</li> <li>6 oz</li> <li>\$0.90</li> </ol>	peanuts in 15 mil red 81 texts in 9 m pages in 2 hours. Show your work	nutes.		
<ol> <li>Jack shells 315</li> <li>Sharmila received</li> <li>Karim read 56 period</li> <li>ind the best buy.</li> <li>6 oz</li> <li>\$0.90</li> </ol>	peanuts in 15 mil red 81 texts in 9 m pages in 2 hours. Show your work	nutes		
<ol> <li>Jack shells 315</li> <li>Sharmila received</li> <li>Karim read 56 period</li> <li>Ind the best buy.</li> <li>6 oz</li> <li>\$0.90</li> <li>\$0.90</li> </ol>	peanuts in 15 milling   red 81 texts in 9 milling   pages in 2 hours.   Show your work   10 oz   10 oz   11 10   \$1.10   \$1.40	nutes		
<ol> <li>Jack shells 315</li> <li>Sharmila received</li> <li>Karim read 56 period</li> <li>K</li></ol>	peanuts in 15 milling   red 81 texts in 9 milling   pages in 2 hours.   Show your work   10 oz   10 oz   11.10   \$1.40	nutes		
<ol> <li>Jack shells 315</li> <li>Sharmila received</li> <li>Karim read 56 period</li> <li>Karim read 56 period</li> <li>6 oz</li> <li>\$0.90</li> <li>\$0.90</li> <li>\$0.90</li> <li>\$0.90</li> </ol>	peanuts in 15 milling         red 81 texts in 9 milling         pages in 2 hours.         Show your work         10 oz         11 10         \$1.10         \$1.2         Weight (oz)         16         20	nutes		

Original content Copyright © by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

	-				
1	$\sim$	1	~	-	÷.,
			я	- 5	5
	~	н.	~	~	

# Ratios, Rates, Tables, and Graphs

#### Reteach

A ratio shows a relationship between two quantities.

Ratios are equivalent if they can be written as the same fraction in lowest terms.

A rate is a ratio that shows the relationship between two different units of measure in lowest terms.

You can make a table of equivalent ratios. You can graph the equivalent ratios.



1. Use equivalent ratios to complete the table.

А	6	9			18		
в	2		4	5		7	8

2. Show the ratios are equivalent by simplifying any 4 of them.

3. Find the rate of  $\frac{A}{B}$  and complete the equivalent ratio:  $\frac{-69}{-1}$ 

4. Use the rate to find how many As are needed for 63 Bs, then write the ratio.

Original content Copyright @ by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.



- 1. Twelve eggs cost \$2.04. How much would 18 eggs cost?
- 2. Seven pounds of grapes cost \$10.43. How much would 3 pounds

cost?

3. Roberto wants to reduce a drawing that is 12 inches long by 9 inches wide. If his new drawing is 8 inches long, how wide will it be?

						~~~~~
LESSON	Understan	ding Percent				
0-1	Reteach	10 M 10	3 Ø - S	ે ં નશુર	han 9 marine	yrs: wow
<b>A</b> . A p To	percent is a ratio o write 38% as a fra	f a number to 100. P action, write a fractior	ercent mea n with a der	ins "per hui nominator c	ndred." of 100.	
	<u>38</u> 100		1.11.474		- e k	
The	on write the fractio	n in simplest form.				
	$\frac{38}{100} = \frac{38}{100}$	$\frac{+2}{0+2} = \frac{19}{50}$				2
So,	$38\% = \frac{19}{50}.$					
<b>В.</b> То	write 38% as a de $38\% = \frac{38}{100}$	ecimal, first write it as	fraction.			
	<u>38</u> 100 means	s "38 divided by 100."	I	ф.		
100	0.38				$(A_{ij}) = (a_{ij}) e_{ij}$	- 
	- <u>300</u> 800			≥ <sup>21</sup> 0 pĤ	n ontatra di N	
	- <u>800</u> 0	$\mathcal{D}_{2}$	8 e. 88	ed in a	810 - III 10 I	a anna -
So	$-\frac{800}{0}$	5	en en R Secondo en	र्डों का ⇒ ∖ज्या ≡	via III na Tana na sa	1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (199 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1997 (1
So,	- <u>800</u> 0 38% = 0.38.		i e vi	र्ट्स का क प्रकार का का	Nie IIINA Detu N. Da	1 127 221 1 2 2 3 2 4 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
So, /rite ea	- <u>800</u> 0 38% = 0.38. ch percent as a f	raction in simplest	form.	editar a Vali i V	Nio IIINA Tato N Da Sian dae	анта А.а. Але Але ал
So, <b>/rite ea</b> 1. 43%	- <u>800</u> 0 38% = 0.38. ch percent as a f	raction in simplest 2. 72%	form. 3. 88%	23 92 93 V 23 1 8 A A A A A A A A A A A A A A A A A A A	4. 35%	C ANTAL ( A 28 4727 (C) 12 (C) 2 Agg (A
So, /rite ea 1. 43%	- <u>800</u> 38% = 0.38. ch percent as a f	raction in simplest 2. 72%	form. 3. 88%		4. 35%	
So, Vrite ea 1. 43% /rite ea 5. 64%	- <u>800</u> 38% = 0.38. ch percent as a f ch percent as a f	raction in simplest 2. 72%	form. 3. 88%		4. 35%	

rite each decin . 0.34	nal as a percent. 2. 0.06	3. 0.93	4 0.57
0.8	6. 0.734	7. 0.082	8. 0.225
0.604	10. 0.09	11. 0.518	12. 1.03
Find an equival raction with a lenominator of Use the numera he equivalent fi is the percent	ent 100. Nor of raction	$\frac{\overline{25} - \overline{100}}{25 \cdot 4} = \frac{32}{100}$ $\frac{8}{25} = \frac{32}{100} = 32\%$	Think 100 + 25 = 4 So, multiply the numerator and denominator by 4
e each fractio <u>3</u> 10	n as a percent. 14. $\frac{2}{50}$	15. $\frac{7}{20}$	16. $\frac{1}{5}$
<u>1</u> 8	18. $\frac{3}{25}$	19. $\frac{3}{4}$	20. $\frac{23}{50}$
<u> </u>			

Original content Copyright C by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

#### Name

#### Order of Operations LESSON 9-3 Reteach

A mathematical phrase that includes only numbers and operations is called a numerical expression.

 $9 + 8 \times 3 \div 6$  is a numerical expression.

When you evaluate a numerical expression, you find its value.

You can use the order of operations to evaluate a numerical expression.

### Order of operations:

- 1. Do all operations within parentheses.
- 2. Find the values of numbers with exponents.
- 3. Multiply and divide in order from left to right.
- 4. Add and subtract in order from left to right.

### Evaluate the expression.

 $60 \div (7 + 3) + 3^2$ 

Do all operations within parentheses.
Find the values of numbers with exponents.
Multiply and divide in order from left to right.
Add and subtract in order from left to right.

### Simplify each numerical expression.

1. 7 × (12 + 8) – 6	2. 10 × (12 + 34) + 3	3. 10 + (6 × 5) – 7
7 × 6	10 × + 3	10 + 7
6	+ 3	- 7
4. $2^3 + (10 - 4)$	5. 7 + 3 × (8 + 5)	6. 36 ÷ 4 + 11 × 8
7. $5^2 - (2 \times 8) + 9$	8. $3 \times (12 \div 4) - 2^2$	9. (3 <sup>3</sup> + 10) – 2

### Solve.

10. Write and evaluate your own numerical expression. Use parentheses, exponents, and at least two operations.

Original content Copyright © by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

Man	~ ~ ~
IVAIL	

Class

26.23

Rete	aich	28. 73	$x_{i},y_{i} \in x_{i} = y$	ta segui	i sega en	94/2007 (C) - 2 (C) 14
Look at the fol	lowing express	sions: x =	1x	) 15 cars mp	జే ఓ ప	
		x +	x = 2x	124		
		X +	x + x = 3x	li i	1. No 7	
The numbers	1, 2, and 3 are	called coe	ficients of x.	E		8
Identify each	coefficient.				a strong to the	
1. 8 <i>x</i>	2.	3m	3. y_		4. 14t	
			an airt			18
An algebraic e In the express	expression has ion $2x + 5y$ , the	terms that • <b>terms</b> are	are separated by e 2x and 5v.	+ and –.		- 21 22 X
	12.00	8387.1		2101		
	Expressi	on	Terms	<b>&amp;</b>	a water and	
14	8x + 4y	/	8x and 4y		nd set	2443.517
	5 <i>m</i> – 2 <i>m</i>	+9	5 <i>m</i> , –2 <i>m</i> , and 9			1
	$4a^2 - 2b + c$	$-2a^{2}$ 4	a <sup>2</sup> ,2 <i>b</i> , <i>c</i> , and2	a <sup>2</sup>	18.4	
Sometimes the Only <b>like term</b>	e terms of an e is can be comb	xpression bined.	can be combined.			n Alexan Sec
2x + 2y	NOT like term	is, the varia	ables are different	t <sub>ia</sub> "	1992 (1993) (1993) (1993)	1875 - Mari
4a² 2a	NOT like term	is, the exp	onents are differe	nt.		
5 <i>m –</i> 2 <i>m</i>	Like terms, th	e variables	and exponents a	ire both the s	ame.	1975 1971 - 1975
$n^{3} + 2n^{3}$	Like terms, th	e variables	and exponents a	re both the s	ame.	
To <b>simplify</b> ar	expression, c	ombine like	e terms by adding	or subtractin	ng	1.4.6
the coefficients	s of the variable	€.				
5 <i>m</i> – 2 <i>m</i>	= <b>3</b> m	11:1 <sup>11</sup>	an internet	TT	11 BR	
4a <sup>-</sup> + 5a ⊦	- <b>a</b> + 3 = 4a <sup>2</sup> + 1	6a + 3	Note that the coef	ficient of a is	1.	no é
Insulify						
5. $8x + 2x$	6.3	<i>m – m</i>	7 64+	6v.	8 141-31	- 54
	0. 0		7. O <b>y</b> +	vy	$0, \ 1 4 1 2 0 1$	
				7.350% (12%) - G452	-	
	10 9	a - 3a + 4	11. <i>n</i> + 9	5 <i>n –</i> 3c	12. $12d - 2$	d+e
9. $3b + b + 6$	10. 0					•

Original content Copyright the by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.

6. x - 6 = 2

X = \_\_\_\_\_



- 4. x 8 = 1
  - X = \_\_\_\_\_

5. x - 3 = 3

X = \_\_\_\_\_

Name	01 <b>7</b> 2 - 45	Date _		Class	85
LESSON 11-3 P	Iultiplication and ractice and Problem	Division E Solving: D	Equations	ales orgenties s seen	
Solve each Check your	equation. Graph the so r work. The first is done	lution on the nu for you.	mber line.	м — <sup>13</sup>	5 <sup>8</sup> 1
$1. \ 8 = 2m$ $\frac{8}{2} = \frac{2m}{2}$	<i>m</i> = <u>4</u>	<del>&lt;   </del> 0 1	23450	5 7 8 9 10 11	9 se. 1
$4 = m$ $2, \frac{a}{2} = 2$	8 = 2 • 4√ a =	= +}			
4		0 1	23456	5 7 8 9 10 11	
				10 g 10	Section.
3. 12 = 3 <i>s</i>	S = 1	0 1	23456	i 7 8 9 10 11	se v c
	66 g. 4	2	: <sup>2</sup>	~	
4. $\frac{u}{2} = 5$	u =		+-++++		

0 1 2 3

# Use the situation below to complete Exercises 5-8. The first one is done for you.

Jim knows the length of his garden is 12 feet. He knows the area of the garden is 60 ft<sup>2</sup>. What is the width of Jim's garden?

- 5. Fill in the known values in the picture at the right.
- 6. Write an equation you can use to solve the problem.
- 7. Solve the equation. w =\_\_\_\_
- 8. Write the solution to the problem.

wft ft<sup>2</sup> A == ft

10 11

5 6 7 8 9

Writing Inequalities LESSON 11-4

# Reteach

An equation is a statement that says two quantities are equal. An inequality is a statement that says two quantities are not equal.

A solution of an inequality that contains a variable is any value or values of the variable that makes the inequality true. All values that make the inequality true can be shown on a graph.

Inequality	Meaning	Solution of Inequality
x > 3	All numbers greater than 3	
		The open circle at 3 shows that the value 3 is <b>not</b> included in the solution.
<i>x</i> ≥ 3	All numbers greater than or equal to 3	-5-4-3-2-1 0 1 2 3 4 5
		The <i>closed circle</i> at 3 shows that the value 3 is included in the solution.
<i>x</i> < 3	All numbers <i>less than</i> 3	-5 - 4 - 3 - 2 - 1 0 1 2 3 4 5
<i>x</i> ≤ 3	All numbers less than or equal to 3	-5-4-3-2-1 0 1 2 3 4 5

Graph the solutions of each inequality.

1. x > -4

- Draw an open circle at -4.
- Read x > -4 as "x is greater than -4."
- Draw an arrow to the right of -4.

$$\begin{array}{c} -5 - 4 - 3 - 2 - 1 & 0 & 1 & 2 & 3 & 4 & 5 \\ \hline 3. a > -1 \\ + & -5 - 4 - 3 - 2 - 1 & 0 & 1 & 2 & 3 & 4 & 5 \\ \hline \end{array}$$

### $2.x \le 1$

- Draw a closed circle at 1.
- Read  $x \le 1$  as "x is less than or equal to 1."
- Draw an arrow to the left of 1. \_\_\_\_\_

$$-5 - 4 - 3 - 2 - 1 \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5$$

$$4. y \le 3$$

$$-5 - 4 - 3 - 2 - 1 \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5$$

Write an inequality that represents each phrase.

5. the sum of 2 and 3 is less than y

6. the sum of y and 2 is greater than or equal to 6

12-1

Class

a the grant for the second

#### LESSON Graphing on the Coordinate Plane

Reteach

Each quadrant of the coordinate plane has a unique combination of positive and negative signs for the x-coordinates and y-coordinates as shown here.

Quadrant	x-coordinate	y-coordinate
I	+ _	+
I	-	+
111	_	
IV	+	_

Use these rules when naming points on the coordinate plane.

#### Example 1

Draw the point A(1, -3) on the coordinate grid.

### Solution

According to the table, this point will be in Quadrant IV.

So, go to the right (+) one unit, and go down (-) three units.



# Example 2

What are the coordinates of point B? Solution

1911日 日本語

and the second for the second the

According to the table, this point will have a negative x-coordinate and a positive y-coordinate.

Point B is 3 three units to the left (-) and four units up (+). So the coordinates of point B are (-3, 4).



Add the correct sign for each point's coordinates.

1. (\_\_\_\_\_3, \_\_\_\_4) in

2. (\_\_\_\_2, \_\_\_5) in

3. (\_\_\_\_\_9, \_\_\_\_1) in

Quadrant II

Quadrant IV

Quadrant I

4. In which quadrant is the point (0, 7) located? Explain your answer.

#### Independent and Dependent Variables in Tables and Graphs LESSON 12-2 Reteach In a table, the *independent variable* is often represented by x. The dependent variable is often represented by y. Look at this example. 0 1 2 3 4 5 6 7 X 4 5 6 7 8 9 10 ? y What y value goes for the question mark? Notice that 4 is added to each value of x to give the y value. Step 1 So, add 4 to 7. What does this give? 4 + 7 = 11Step 2 On a chart or graph, • the x-axis is usually used for the independent variable, and 2 • the y-axis is usually used for the dependent variable. 0 2 -2 Look at the example. -2 How does y depend on x? đ Each value of y is the opposite of Step 1 the value of x. What equation shows this fact? Step 2 V = -X

# Give the relationship between x and y.

۱.	x	1	2	3	4	5
	У	3	4	5	6	7



- a. What is y when x = 2?
- b. What value of x gives y = -2?

c. Write the equation for the graph.

Date \_\_\_\_\_ Class Name Area of Quadrilaterals LESSON 13-1 Reteach You can use formulas to find the areas of quadrilaterals. The area A of a parallelogram is the product A = bh= 3 • 7 3 cm of its base b and its height h.  $= 21 \text{ cm}^2$ A = bh7 cm The area of a trapezoid is half its height  $A=\frac{1}{2}h(b_1+b_2)$ 5 m multiplied by the sum of the lengths of its two bases.  $=\frac{1}{2} \cdot 6(5+9)$  $A=\frac{1}{2}h(b_1+b_2)$ 6 m  $=\frac{1}{2}\cdot 6(14)$  $= 3 \cdot 14$ = 42 m<sup>2</sup> 9 m The area of a rhombus is half of the product  $A = \frac{1}{2}d_1d_2$ 5 in. of its two diagonals.  $A = \frac{1}{2} d_1 d_2$  $=\frac{1}{2}(5)(8)$ 8 in.  $= 20 in^{2}$ 

2.

Find the area of each figure.











Original content Copyright © by Houghton Mifflin Harcourt. Additions and changes to the original content are the responsibility of the instructor.



Original content Copyright © by Houghton Mifflin Harcourt, Additions and changes to the original content are the responsibility of the instructor.

Date \_\_\_\_\_ Class

Area of Polygons LESSON 13-4 Reteach Sometimes you can use area formulas you know to help you find the area of more complex figures. You can break a polygon into shapes that you know. Then use those shapes to find the area: The figure at right is made up of a 5 triangle, a parallelogram, and a rectangle. Triangle Parallelogram Rectangle A = bh $A = \frac{1}{2}bh$ A = Iw $= 3 \times 4$  $= 4 \times 5$  $=\frac{1}{2}(3\times 4)$ = 12 square units = 20 square units = 6 square units Finally, find the sum of all three areas. 6 + 12 + 20 = 38The area of the whole figure is 38 square units.

Find the area of each figure.



280